# DEPARTMENT OF CIVIL ENGINEERING, IIT BOMBAY 

CE 201 Solid Mechanics
Tutorial Sheet $=10$
Instructor: Siddhartha Ghosh

1. Determine the maximum allowable load P that may be applied to the aluminum frame shown in Fig. 1. Use Euler's formula and take factor of safety as 2.5. $\mathrm{E}=70$ GPa.
2. The capacity of the jib crane is given as 20 kN as shown in Fig. 2. What size of steel pipe AB should be used if thickness/diameter ratio of the pipe is $1 / 10$ and $\mathrm{E}=$ 200 GPa . Use Euler's formula with a factor of safety 2.5 and neglect the selfweight.
3. Using Euler's formula, find the ratio of the critical load of a solid circular column to that of hollow circular cross-section (inner diameter is 0.8 times external diameter) for identical end conditions and length. Both columns have equal area of cross-section.
4. A column of length $L$ and rectangular cross-section ( $\mathbf{a} \times \mathbf{b}$ ) has a fixed end $B$ and support a centric load at A as shown in Fig. 3. Two smooth and rounded fixed plates restrain end A from moving in one of the plane of symmetry of the column and allow it to move in the other plane. Determine the ratio $\mathbf{a} / \mathbf{b}$ for most efficient design against buckling.
5. The effective length of a composite column shown in Fig. 4 is 5 m . Obtain the dimension $\boldsymbol{b}$ so that the column has equal chances of buckling along the principal directions. Determine the safe load carrying capacity of the column. Take $\mathrm{E}=200$ GPa and factor of safety as 2 .
6. The rigid bar segments of equal length $\mathrm{L} / 2$ are connected at the joint and at the bottom by frictionless hinges as shown in Fig. 5. The bars are held in vertical position by two springs. Determine the critical load for the system.
7. Using energy method, determine the buckling load of a uniform column of length L with pinned ends. Take the buckled shape as, $v=a_{0} x(L-x)$.
8. Using energy method, determine the buckling load of a uniform column of length $L$ which is fixed at base and free at top. Take buckled shape as, $v=a_{0} x^{2}$ (origin as fixed support).

fig. 2

fig. 4
